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# Michael (Mihalis) Papadimitrakis

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**No1** *Best uniform approximation by bounded analytic functions*, Proc. Amer. Math. Soc. **103** (1988), 882-886. [4 citations]

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